

UGA MATH PLACEMENT PRACTICE EXAM (SAMPLE)

STUDY GUIDE

$$\begin{array}{l} 3. \sqrt{64} = 8 \\ 4. 3[8 + (4 + 2)] = 4^2 \\ 5. \frac{2^5}{2^3} = 4 \\ 6. 3(4^2 + 1) = 30 \end{array}$$



Prepare with structure. Pass with confidence



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Introduction

Preparing for a certification exam can feel overwhelming, but with the right tools, it becomes an opportunity to build confidence, sharpen your skills, and move one step closer to your goals. At Examzify, we believe that effective exam preparation isn't just about memorization, it's about understanding the material, identifying knowledge gaps, and building the test-taking strategies that lead to success.

This guide was designed to help you do exactly that.

Whether you're preparing for a licensing exam, professional certification, or entry-level qualification, this book offers structured practice to reinforce key concepts. You'll find a wide range of multiple-choice questions, each followed by clear explanations to help you understand not just the right answer, but why it's correct.

The content in this guide is based on real-world exam objectives and aligned with the types of questions and topics commonly found on official tests. It's ideal for learners who want to:

- Practice answering questions under realistic conditions,
- Improve accuracy and speed,
- Review explanations to strengthen weak areas, and
- Approach the exam with greater confidence.

We recommend using this book not as a stand-alone study tool, but alongside other resources like flashcards, textbooks, or hands-on training. For best results, we recommend working through each question, reflecting on the explanation provided, and revisiting the topics that challenge you most.

Remember: successful test preparation isn't about getting every question right the first time, it's about learning from your mistakes and improving over time. Stay focused, trust the process, and know that every page you turn brings you closer to success.

Let's begin.

How to Use This Guide

This guide is designed to help you study more effectively and approach your exam with confidence. Whether you're reviewing for the first time or doing a final refresh, here's how to get the most out of your Examzify study guide:

1. Start with a Diagnostic Review

Skim through the questions to get a sense of what you know and what you need to focus on. Your goal is to identify knowledge gaps early.

2. Study in Short, Focused Sessions

Break your study time into manageable blocks (e.g. 30 – 45 minutes). Review a handful of questions, reflect on the explanations.

3. Learn from the Explanations

After answering a question, always read the explanation, even if you got it right. It reinforces key points, corrects misunderstandings, and teaches subtle distinctions between similar answers.

4. Track Your Progress

Use bookmarks or notes (if reading digitally) to mark difficult questions. Revisit these regularly and track improvements over time.

5. Simulate the Real Exam

Once you're comfortable, try taking a full set of questions without pausing. Set a timer and simulate test-day conditions to build confidence and time management skills.

6. Repeat and Review

Don't just study once, repetition builds retention. Re-attempt questions after a few days and revisit explanations to reinforce learning. Pair this guide with other Examzify tools like flashcards, and digital practice tests to strengthen your preparation across formats.

There's no single right way to study, but consistent, thoughtful effort always wins. Use this guide flexibly, adapt the tips above to fit your pace and learning style. You've got this!

Questions

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1. In a right triangle, if one angle is 30 degrees and the hypotenuse is 10, what is the length of the side opposite the 30-degree angle?
 - A. 3
 - B. 5
 - C. 7
 - D. 10
2. What would happen if you decrease 'k' in a rational function?
 - A. Moves function upward
 - B. Moves function downward
 - C. Moves function left
 - D. No effect
3. In the expression $\log_b(A^C)$, what is the simplified form?
 - A. $C \log_b A$
 - B. $A \log_b C$
 - C. $C \log A$
 - D. $A \log_b C$
4. What does x to the power of a divided by x to the power of b equal?
 - A. x to the power of a plus b
 - B. x to the power of a minus b
 - C. x to the power of ab
 - D. x divided by b
5. What does x to the power of $1/n$ denote?
 - A. n times x
 - B. x to the power of n
 - C. n root of x
 - D. x divided by n
6. What is the area of a triangle with a base of 8 cm and a height of 5 cm?
 - A. 20 cm^2
 - B. 30 cm^2
 - C. 40 cm^2
 - D. 50 cm^2

7. In terms of x , how is $\sec(x/2)$ expressed?

- A. $1/\cos(x/2)$
- B. plus or minus square root $((1 + \cos(x))/\cos(x))$
- C. $1/(1 - \tan(x/2)^2)$
- D. $\sec^2(x)/(2\sec(x))$

8. What does the expression $\log_b(A / C)$ equal?

- A. $\log_b A + \log_b C$
- B. $\log_b A - \log_b C$
- C. $\log_b A \times \log_b C$
- D. $\log_b A / \log_b C$

9. If $f(x)$ increases, which change in parameters would typically cause this increase?

- A. Decreasing a
- B. Increasing b
- C. Increasing k
- D. Increasing h

10. What does the Two Point Formula represent?

- A. $y = mx + b$
- B. $y - y_1 = (y_2 - y_1)/(x_2 - x_1)(x - x_1)$
- C. $ax + by = c$
- D. $y = c$

Answers

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1. B
2. B
3. A
4. B
5. C
6. A
7. B
8. B
9. C
10. B

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Explanations

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1. In a right triangle, if one angle is 30 degrees and the hypotenuse is 10, what is the length of the side opposite the 30-degree angle?

- A. 3
- B. 5**
- C. 7
- D. 10

In a right triangle with one angle measuring 30 degrees, the lengths of the sides can be determined using the properties of a 30-60-90 triangle. In such a triangle, the side opposite the 30-degree angle is half the length of the hypotenuse. Since the hypotenuse is given as 10, the length of the side opposite the 30-degree angle is calculated as follows: $\text{Length of the side opposite 30 degrees} = \frac{1}{2} \times \text{hypotenuse} = \frac{1}{2} \times 10 = 5$. Thus, the correct answer is 5, confirming that the length of the side opposite the 30-degree angle is indeed 5. This property is fundamental in trigonometry and is crucial for solving problems involving right triangles.

2. What would happen if you decrease 'k' in a rational function?

- A. Moves function upward
- B. Moves function downward**
- C. Moves function left
- D. No effect

Decreasing 'k' in a rational function typically refers to a change in the vertical translation of the function. When 'k' is a constant added to or subtracted from the function, it affects the vertical position of the entire graph. For instance, consider a rational function in the form $f(x) = \frac{1}{x} + k$. If you decrease 'k' by moving it to a smaller value, this results in all y-values of the function shifting downward. Each point on the graph of the function will move down by the same amount as 'k' is decreased. This downward movement occurs because for any given x-value, the function now outputs a lower y-value. Thus, the overall effect of decreasing 'k' is to translate the graph of the function downward in the coordinate plane.

3. In the expression $\log_b(A^C)$, what is the simplified form?

- A. $C \log_b A$**
- B. $A \log_b C$
- C. $C \log A$
- D. $A \log_b C$

In the expression $\log_b(A^C)$, we can apply the logarithmic identity that states $\log_b(x^y) = y \cdot \log_b(x)$. This identity allows us to simplify logarithms of powers. In this case, A is raised to the power of C, so we can substitute A for x and C for y. Using the identity, we rewrite the expression: $\log_b(A^C) = C \cdot \log_b(A)$. This shows that the logarithm of A raised to the power of C is equivalent to C multiplied by the logarithm of A with base b. This matches the choice that expresses the simplified form as $C \log_b(A)$. Thus, the correct and simplified form of the expression $\log_b(A^C)$ is indeed $C \log_b(A)$.

4. What does x to the power of a divided by x to the power of b equal?

- A. x to the power of a plus b
- B. x to the power of a minus b**
- C. x to the power of ab
- D. x divided by b

When you divide exponential expressions with the same base, you subtract the exponents. This is derived from the properties of exponents, specifically the quotient rule, which states that for any nonzero number (x) and any real numbers (a) and (b) : $\frac{x^a}{x^b} = x^{a-b}$ In this case, applying the rule means that (x) raised to the power of (a) divided by (x) raised to the power of (b) simplifies to (x^{a-b}) . Therefore, the expression correctly simplifies to (x) raised to the power of (a) minus (b) , reflecting how the properties of exponents govern operations involving the same base.

5. What does x to the power of $1/n$ denote?

- A. n times x
- B. x to the power of n
- C. n root of x**
- D. x divided by n

The expression $(x^{1/n})$ represents the n -th root of (x) . This means that it denotes a value that, when raised to the power of (n) , yields (x) . Mathematically, if $(y = x^{1/n})$, then raising (y) to the n -th power gives $(y^n = x)$. This is a fundamental concept in mathematics, linking exponentiation and roots. For example, if $(n = 2)$, then $(x^{1/2})$ is the square root of (x) . Similarly, if $(n = 3)$, then $(x^{1/3})$ is the cube root of (x) . This relationship between exponents and roots is a crucial part of understanding how to manipulate and interpret algebraic expressions involving powers.

6. What is the area of a triangle with a base of 8 cm and a height of 5 cm?

- A. 20 cm²**
- B. 30 cm²
- C. 40 cm²
- D. 50 cm²

To find the area of a triangle, the formula used is: $\text{Area} = \frac{1}{2} \times \text{base} \times \text{height}$ In this case, the base is 8 cm and the height is 5 cm. Plugging in these values into the formula gives: $\text{Area} = \frac{1}{2} \times 8 \times 5$ Calculating this step-by-step: 1. First, multiply the base by the height: $(8 \times 5 = 40)$ cm². 2. Then, take half of that result: $(\frac{1}{2} \times 40 = 20)$ cm². Thus, the area of the triangle is indeed 20 cm². This matching with the calculated area confirms that the first choice is accurate.

7. In terms of x , how is $\sec(x/2)$ expressed?

- A. $1/\cos(x/2)$
- B. $\pm \sqrt{(1 + \cos(x))/\cos(x)}$**
- C. $1/(1 - \tan(x/2)^2)$
- D. $\sec^2(x)/(2\sec(x))$

The expression for $\sec(x/2)$ can be understood by recalling the definition of the secant function and using trigonometric identities. The secant function, $\sec(\theta)$, is defined as the reciprocal of the cosine function, so $\sec(x/2)$ is equal to $1/\cos(x/2)$. To express $\sec(x/2)$ in terms of $\cos(x)$, one can utilize the half-angle identity for cosine, which states that: $\cos(x/2) = \sqrt{\frac{1 + \cos(x)}{2}}$. From this identity, $\sec(x/2)$ can be expressed as: $\sec(x/2) = \frac{1}{\cos(x/2)} = \frac{1}{\sqrt{\frac{1 + \cos(x)}{2}}}$. To simplify this, we multiply the numerator and the denominator by the square root to rationalize: $\sec(x/2) = \frac{\sqrt{2}}{\sqrt{1 + \cos(x)}}$. Squaring $\sec(x/2)$ gives us an expression involving the square root of both the numerator and the denominator, leading to another type of expression that simplifies to involve

8. What does the expression $\log_b(A / C)$ equal?

- A. $\log_b A + \log_b C$
- B. $\log_b A - \log_b C$**
- C. $\log_b A \times \log_b C$
- D. $\log_b A / \log_b C$

The expression $\log_b(A / C)$ can be simplified using the properties of logarithms, specifically the quotient rule. The quotient rule states that the logarithm of a quotient is equal to the logarithm of the numerator minus the logarithm of the denominator. In this case, applying the rule gives us: $\log_b(A / C) = \log_b A - \log_b C$. This means that the logarithm of A divided by C can be expressed as the logarithm of A minus the logarithm of C , which aligns perfectly with the provided answer. This fundamental property of logarithms helps in simplifying expressions and solving various mathematical problems involving logarithmic functions.

9. If $f(x)$ increases, which change in parameters would typically cause this increase?

- A. Decreasing a
- B. Increasing b
- C. Increasing k**
- D. Increasing h

When discussing how a function $f(x)$ increases, it's important to understand the role of its parameters in the context of its behavior. When we consider the typical forms of functions, such as linear, quadratic, or exponential functions, the parameters can significantly influence the shape and direction of the graph. Increasing k in the context of a function often represents a vertical shift upwards. For example, consider the function $f(x) = ax^2 + bx + k$. If k is increased, the entire graph of the function moves up by that amount, which causes all corresponding y -values to increase. As a result, regardless of the x -values, the function's output becomes larger, thus causing $f(x)$ to increase. This upward shift directly translates to an increase in the function's values, which is synonymous with the function itself increasing overall. Therefore, increasing k effectively causes the function to rise on a graph, demonstrating that increasing this parameter results in an increase in $f(x)$.

10. What does the Two Point Formula represent?

A. $y = mx + b$

B. $y - y_1 = \frac{y_2 - y_1}{x_2 - x_1}(x - x_1)$

C. $ax + by = c$

D. $y = c$

The Two Point Formula, represented as $y - y_1 = \frac{y_2 - y_1}{x_2 - x_1}(x - x_1)$, is used to determine the equation of a line when you have two distinct points on that line, labeled as (x_1, y_1) and (x_2, y_2) . This formula calculates the slope of the line, which is given by $\frac{y_2 - y_1}{x_2 - x_1}$. The slope is then used to express the linear relationship between y and x , starting from one of the points, hence the term $(y - y_1)$ shows how the change in y depends on the change in x . The utility of the Two Point Formula lies in its straightforward approach to finding the equation of a line without needing to rearrange it into other forms first. This is especially helpful in coordinate geometry, where direct application of the coordinates can quickly yield the line's equation. The other forms listed—such as the slope-intercept form $(y = mx + b)$, the standard

Next Steps

Congratulations on reaching the final section of this guide. You've taken a meaningful step toward passing your certification exam and advancing your career.

As you continue preparing, remember that consistent practice, review, and self-reflection are key to success. Make time to revisit difficult topics, simulate exam conditions, and track your progress along the way.

If you need help, have suggestions, or want to share feedback, we'd love to hear from you. Reach out to our team at hello@examzify.com.

Or visit your dedicated course page for more study tools and resources:

<https://ugamathplacement.examzify.com>

We wish you the very best on your exam journey. You've got this!

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